# BIRLA INSTITUTE OF TECHNOLOGY AND SCIENCE, PILANI <br> CE -F244 HIGHWAY ENGINEERING <br> SEMESTER II, 2021-22 <br> COMPREHENSIVE EXAMINATION (OPEN BOOK*) 

Date : 07-05-2022
Time : $\mathbf{1 8 0}$ minutes
Max. Marks: 90

## INSTRUCTIONS:

- Assume any missing data suitably, if required, and justify your assumption(s).
- *IRC:37-2018 (till Page 42) and IRC:58 - 2015 are ONLY allowed. (Highlighting and underlining the code are ONLY allowed).
***********************************************************************************

1. Why the maximum pavement temperature is computed at a depth of 20 mm from the
[6 MARKS] surface and not at the surface in Superpave mix design?
2. Why is Falling Weight Deflectometer technique preferred over Benkelman Beam
[5 MARKS] Deflection technique for pavement evaluation?
3. A Major District Road section from $0+000 \mathrm{~km}$ chainage to $27+450 \mathrm{~km}$ chainage in the coastal area of Thane, Maharashtra is proposed to be constructed as a 2-lane dual carriageway ( 2 way) with earthen shoulders. The road section consists of 2 tangent sections (bituminous pavement type) having their point of vertical intersect below the road level with a deviation angle of 11 in 300 . The traffic and axle load survey were conducted on 07.05 .2019 revealed 775 cvpd travelling in each direction with a traffic growth rate of $5.25 \%$ and proposed to finish the construction by 07.05 .2021 . The curve section is designed as a plain jointed rigid pavement with $125 \mu \mathrm{~m}$ PVC sheet between Pavement Quality Concrete surface layer (M40 Grade concrete) and the upper subbase layer to reduce the frictional stresses with an effective CBR of subgrade of $12 \%$. Whereas, for the tangent sections, the in-situ CBR of 500 mm compacted subgrade layer and 500 mm layer below the subgrade were found to be $15 \%$ and $5 \%$, respectively.
(i) Determine the maximum tensile stress and fatigue life due to bottom - up and top-down cracking for the Pavement Quality Concrete slab having thickness of 250 mm for Type 3 vehicle whose rear axle weight is precisely equal to the legal axle load limit as per IRC: 58-2015. Load transfer was achieved only through aggregate interlocking in the concerned pavement. Take the lower subbase layer as granular with thickness of 200 mm for drainage and filter purpose. Also draw the cross section of the designed pavement.
(ii) Determine the length of the curve section such that a Type 3 vehicle can safely travel along the curve during night.
(iii) If the vertical compressive strain and horizontal tensile strain at top of subgrade and bottom of bituminous layer came up to be $0.535 \times 10^{-3}$ and $0.685 \times 10^{-3}$ respectively during the pavement analysis in IITPAVE, determine whether the pavement design is safe or not if unreinforced granular base and unreinforced granular subbase are provided along the tangent sections. Also determine and report the input material properties for IITPAVE. The bituminous mixture has an effective bitumen content of $10 \%$ and air voids of $4 \%$ using conventional bitumen. The pavement is expected to reach an annual
(20 MARKS)
(5 MARKS)
(23 MARKS)
average pavement temperature of $38^{\circ} \mathrm{C}$. Take design life of 20 years. Round-off the effective CBR of this section to next higher whole number and take indicative values if needed.
(iv) Explain in detail, the procedure to find the effective resilient modulus for the pavement at the tangent section if the granular layers are reinforced.
4. Marshall stability tests were conducted for five specimens, each of 101.6 mm diameter and 63.5 mm height. The test results are given in Table 1. Find the optimum binder content of the mix. Use a single graph sheet for plotting (i.e., Required plots in one graph paper, Write your name \& BITS ID on the graph sheet).
( 7 MARKS) (
5. During the alignment of a National Highway in a mountainous terrain with a design gradient of $4.95 \%$, a horizontal curve of radius 140 m was encountered. If a Type 3 vehicle travels along the curve turning the steering wheel at an angle of $35^{\circ}$ counter clockwise direction with a tractive force of 125 kN in the rear axles, then,
(i) Determine the curve resistance.
(ii) Is compensation in gradient required for the curve? If yes, determine the
(2 MARK) compensation in gradient and compensated gradient. If not, justify your answer.
6. True/ False:
(5x1MARKS)
(i) Space mean speed is slightly lower than time mean speed.
(ii) Tar is less sensitive (susceptible) to moisture than bitumen.
(iii) Emulsions do not require any heating while cutback bitumen requires.
(iv) Bitumen $A$ and bitumen $B$ have 6 mm and 10 mm as penetration values, respectively. So, in general, softening point of $A$ is greater than softening point of $B$.
(v) Bitumen A and Bitumen $B$ has softening points of $45^{\circ} \mathrm{C}$ and $60^{\circ} \mathrm{C}$, respectively.

So, bitumen A is less susceptible to temperature than B.
7. Explain the physical significance of radius of relative stiffness and radius of resisting
(5 MARKS) section.

Table 1 : Marshall stability test results

| Bitumen <br> content (\%) | Stability <br> (kgf) | Flow <br> $(\mathbf{m m})$ | Air voids <br> $(\%)$ | VFB | $\mathbf{G}_{\mathbf{m}}$ or Gav <br> or Gmb |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 3 | 500 | 9 | 12.5 | 35 | 2.10 |
| 4 | 750 | 9.5 | 7.5 | 65 | 2.20 |
| 5 | 800 | 12 | 3.5 | 85 | 2.25 |
| 6 | 750 | 15 | 2.5 | 90 | 2.20 |
| 7 | 650 | 19.5 | 2.0 | 95 | 2.15 |



## REFERENCE APPENDIX

Table : Ruling and Minimum design speed

| Road <br> Classification | Plain terrain |  | Rolling terrain |  | Mountainous terrain |  | Steep terrain |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | R | M | R | M | R | M | R | M |
| NH \& SH | 100 | 80 | 80 | 65 | 50 | 40 | 40 | 30 |
| MDR | 80 | 65 | 65 | 50 | 40 | 30 | 30 | 20 |
| ODR | 65 | 50 | 50 | 40 | 30 | 25 | 25 | 20 |
| VR | 50 | 40 | 40 | 35 | 25 | 20 | 25 | 20 |


| Speed km/h | 20 to 30 | 40 | 50 | 60 | 65 | 80 | 100 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Longitudinal coefficient of friction, $f$ | 0.40 | 0.38 | 0.37 | 0.36 | 0.36 | 0.35 | 0.35 |


| $\operatorname{SSD}=v t+\frac{v^{2}}{2 g\left(f \pm \frac{n}{100}\right)}$ | $\begin{aligned} & \mathrm{OSD}=v_{b} t+v_{b} T+2 s+v_{c} T \\ & e+f=\frac{v^{2}}{g R} \end{aligned}$ |  | $W_{e}=\frac{n l^{2}}{2 R}+\frac{\boldsymbol{V}}{9.5 \sqrt{R}}$ |  |
| :---: | :---: | :---: | :---: | :---: |
| $m=R-(R-d) \cos \frac{\alpha}{2}+\left(\frac{S-L_{c}}{2}\right) \sin \left(\frac{\alpha}{2}\right)$; |  |  | $L_{s}=\frac{N e\left(W+W_{e}\right)}{2}$ |  |
| $L_{S}=\frac{2.7 V^{2}}{R} ; L=2 \sqrt{\frac{N v^{3}}{C}}$ | $\begin{aligned} & L_{s}=N e\left(W+W_{e}\right) \quad S_{g}= \\ & \quad v t=0.278 V t \end{aligned}$ |  | $\bar{t}=t_{w}-\frac{n_{y}}{q}$ |  |
| $m=R-R \cos \left(\frac{\alpha}{2}\right)$ | $m=R-R \cos \frac{\alpha}{2}+\left(\frac{S-L_{c}}{2}\right) \sin \left(\frac{\alpha}{2}\right)$ |  | $m=R-(R-d) \cos \left(\frac{\alpha}{2}\right)$ |  |
| $L_{s}=\frac{v^{3}}{C R} \quad S=\frac{L_{s}^{2}}{24 R}$ | $L_{S}=\frac{V^{2}}{R} ; \quad L=2 S-\frac{2\left(\sqrt{h_{1}}+\sqrt{h_{2}}\right)^{2}}{N}$ |  | $q=\frac{n_{a}+n_{y}}{t_{a}+t_{w}}$ |  |
| $L=\frac{N S^{2}}{2\left(h_{1}+S \tan \alpha\right)}$ | $L=2 S-\frac{2\left(h_{1}+S \tan \alpha\right)}{N}$ |  | $L=\frac{N S^{2}}{2\left(\sqrt{h_{1}}+\sqrt{h_{2}}\right)^{2}}$ |  |
| $S_{i}=\frac{0.316 P}{h^{2}}\left[4 \log _{10}(l / b)+1.069\right]$ |  | $S_{c}=\frac{3 P}{h^{2}}\left[1-\left(\frac{a \sqrt{2}}{l}\right)^{0.6}\right]$ | ] $S_{t i}=\left(\frac{E \alpha \Delta t}{2}\right)\left[\frac{C_{x}+\mu C_{y}}{1-\mu^{2}}\right]$ |  |
| $S_{e}=\frac{0.572 P}{h^{2}}\left[4 \log _{10}(l / b)+0.359\right]$ |  | $S_{t e}=\operatorname{Max} .\left(\frac{C_{x} E \alpha \Delta t}{2}, \frac{C_{y} E \alpha \Delta t}{2}\right)$ |  | $S_{t c}=\frac{E \alpha \Delta t}{3(1-\mu)} \sqrt{\frac{a}{l}}$ |
| $\text { VTM or (\% air voids) }=\frac{G_{t}-G_{m}}{G_{t}} \times 100$ |  | $\mathrm{VMA}=\left[\mathrm{VTM}+\left(\frac{W_{B}}{G_{B}} \times \frac{G_{m}}{W}\right)\right] \times 100$ |  | $\mathrm{VFB}=\frac{(V M A-V T M)}{V M A} \times 100$ |
| $\mathrm{G}_{\mathrm{se}}=\left[\frac{1-\mathrm{P}_{\mathrm{b}}}{\left(\frac{1}{\mathrm{G}_{\mathrm{mm}}}-\frac{\mathrm{P}_{\mathrm{b}}}{\mathrm{G}_{\mathrm{b}}}\right)}\right]$ |  | $P_{b a}=G_{b}\left(\frac{G_{s e}-G_{s b}}{G_{s e} \times G_{s b}}\right) \times 100$ |  | $S_{g}=v t=0.278 \mathrm{~V} t$ |

