# BIRLA INSTITUTE OF TECHNOLOGY AND SCIENCE, PILANI 

SECOND SEMESTER 2017-2018
CHE F418 Modeling and Simulation in Chemical Engineering
Duration: 8:00 AM - 11:00 AM
Date: 09.05. 2018

Note: State your assumptions clearly and check the mathematical consistency of a model if necessary

1. An irreversible, exothermic reaction is carried out in a single perfectly mixed variable holdup CSTR. The reaction is $n^{\text {th }}$-order in reactant $A$ and has a heat of reaction $\lambda(\mathrm{kJ} / \mathrm{mol}$ of $A$ reacted). Negligible heat losses and constant densities are assumed. To remove the heat of reaction, a cooling jacket surrounds the reactor. Cooling water is added to the jacket at a volumetric flow rate $F_{J}$ and with an inlet temperature of $T_{J o}$. The volume of water in the jacket $V_{J}$ is constant. The mass of the reactor metal walls is assumed negligible. The outlet flow is controlled by a P controller. Develop a mathematical model for the following
a. Case A. Perfectly mixed cooling jacket

Case B. Plug flow cooling jacket
b. Write MATLAB code for solving case (A) modeling equations
2. Two concentric cylindrical metallic shells are separated by a solid material. If the two metal surfaces are maintained at different temperatures, what is the steady state temperature distribution within the separating material?

3. Liquid is distributed within a central core of radius $a$ with velocity $U_{0}$ and flows through a packed column of radius $R$. At the position ( $r, z$ ), the horizontal and vertical components of velocity are $V$ and $U$. It is also given that $V=-D(\partial U / \partial r)$ where $D$ is a constant characteristic of the liquid and the packing material. Obtain a mathematical model in the differential form for $U$ at steady state.

4. A chemical process is represented by the following set of equations,

$$
\begin{gathered}
f 1(x 1, x 2, x 3, x 6)=0, f 2(x 2, x 5, x 6)=0, f 3(x 1, x 2, x 3, x 4)=0 ; f 4(x 4)=0 \\
f 5(x 2, x 4)=0, \quad f 6(x 6, x 7, x 8)=0, \quad f 7(x 3, x 6)=0, f 8(x 7, x 8)=0
\end{gathered}
$$

Determine the following: (a) Associated incidence matrix with output-set encircled.
(b) Digraph of the process.
(c) Associated adjacency matrix
5. For the reduced digraph given below (Fig. 12.9), find the following: (a) Signal flow graph. (b) Cut-set using the Kehat and Shacham algorithm.

6. Using the data given below, obtain a preliminary estimate of the diameter of the tubes to be installed in a fixed bed catalytic reactor which is to be used for the synthesis of vinyl chloride from acetylene and hydrogen chloride. The tubes are to contain mercuric chloride catalyst deposited on 2.54 mm particles of carbon and the heat of the reaction is to be employed to generate steam at $121{ }^{\circ} \mathrm{C}$ for the remainder of the process. To do this, the temperature of the inside surface of the tubes should be constant at $149{ }^{\circ} \mathrm{C}$. The effective thermal conductivity of the bed, $k_{e}=6.92 \mathrm{~W} / \mathrm{m}^{2} \mathrm{C}$, the heat of reaction at bed temperature, $\Delta H_{R}=1.075 \times 10^{8} \mathrm{~J} / \mathrm{kmol}$, and the bulk density of the bed, $\rho=288 \mathrm{~kg} / \mathrm{m}^{3}$. The rate of reaction is a function of temperature, concentration, and the various adsorption
coefficients, but for the preliminary estimate assume that the rate of reaction can be expressed as $r=r_{0}(1+A T)$ where $r_{o}=0.12, A=0.024$, and $T$ is the temperature in degrees Fahrenheit above a datum of $200^{\circ} \mathrm{F}\left(93.3^{\circ} \mathrm{C}\right.$ ). The maximum allowable catalyst temperature to ensure a satisfying life is $252{ }^{\circ} \mathrm{C}$ (i.e., $T=252-93.3=158.7^{\circ} \mathrm{C}$ above the datum temperature). (Data: Zeroth Bessel function value =1.55)


| $T\left({ }^{\circ} \mathrm{C}\right)$ | 0 | 100 | 121 | 141 | 149 | 252 | 93.3 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $r \times 10^{-4}$ <br> (kmol/s kg-catalyst) | 0.589 | 2.031 | 2.33 | 2.614 | 2.73 | 4.214 | 1.933 |

7. Using the Murthy\& Hussain- I algorithm for the decomposition of MCN, find the cut-set for the digraph of a process plant

