

ME F318 Computer aided design – Comprehensive Exam

Weightage : 40% (As per Course Handout)  
Marks : 80  
Duration : 3.0 Hours  
Date of Exam : 13/05/2023 (FN)

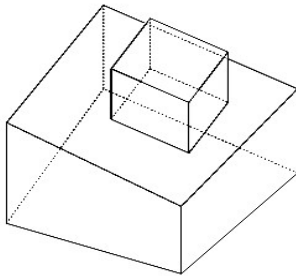
NAME

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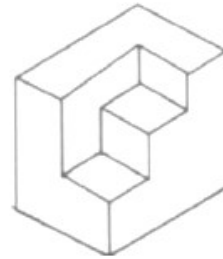
Note to Students:

1. All parts of a question should be answered only in the space provided below each question.
2. **NO EXTRA SHEET WILL BE GIVEN.** Give your answers to the point.
3. Assumptions made, if any, should be stated clearly at the beginning of your answer.

1. Verify Euler-Poincaré relation topological validity for B-rep models below. **[12 Marks]**



F = ...  
E = ...  
V = ...  
L = ...  
B = ...  
G = ...



F = ...  
E = ...  
V = ...  
L = ...  
B = ...  
G = ...

2. Draw a neat sketch of a third order B-spline curve  $P(u)$  and a second order B-spline curve  $Q(u)$ . Control points for  $P(u)$  are  $[0\ 0]$ ,  $[1\ 1]$ ,  $[3\ 1]$ , and  $[4\ 0]$ . Control points for  $Q(u)$  are  $[0\ 4]$ ,  $[2\ 2]$ ,  $[2\ 0]$ , and  $[0\ -2]$ . Find the intersection point between  $P$  and  $Q$ . **[10 Marks]**

3. A triangle, in a 2-D ( $x$  and  $y$ ) space, with vertices  $[3\ 1]$ ,  $[5\ 1]$ , and  $[4\ 2]$  is reflected about a line  $y = x$ . Obtain final transformation matrix and transformed vertices. **[15 Marks]**

4. Parametric equation of helix with radius  $a$  and pitch  $b$  is  $[a\cos 2\pi u \quad a\sin 2\pi u \quad 2b\pi u]$ ,  $0 \leq u \leq 1$ . Write its explicit equation and bring out the advantages of its parametric form. **[8 Marks]**

5. Derive  $[B]$  of Hermite bicubic surface bounded by four lines shown in figure. **[10 Marks]**

6. Draw a neat sketch of a ruled surface  $R(u,v)$  formed by the two linearly blending curves  $P(u,0)$  and  $Q(u,1)$ .  $P(u,0)$  is a third order B-spline curve defined by control points  $[0\ 0]$ ,  $[1\ 1]$ ,  $[3\ 1]$ , and  $[4\ 0]$ .  $Q(u,1)$  is also a third order B-spline curve defined by control points  $[0\ 5]$ ,  $[1\ 6]$ ,  $[3\ 6]$ , and  $[4\ 5]$ . Compute the midpoint of the surface also. **[25 Marks]**