

**Birla Institute of Technology & Science, Pilani**  
**Mid term Examination**

Course Title : SOFTWARE TESTING METHODOLOGIES  
Weightage : 30% (As per Course Handout)  
Duration : 1.5 Hours

**Q1** At least how many test cases are required to achieve multiple condition coverage of the following code segment: [1]

If ((a>5) and (b<100) and (c>50)) x=x+1;

- a) 2
- b) 4
- c) 6
- d) 8

**Q2.** For a function of 4 variables, boundary value analysis generates: [1]

- a) 9 test cases
- b) 17 test cases
- c) 33 test cases
- d.) 25 test cases

**Q3.** Consider the following program:

```
while (first <= last)
{
    if (array [middle] < search)
        first = middle +1;
    else if (array [middle] == search)
        found = True;
    else last = middle - 1;
    middle = (first + last)/2;
}
if (first < last) not Present = True;
```

The cyclomatic complexity of the program segment is \_\_\_\_\_ [1]

- a. 3
- b. 4
- c. 5
- d. 6

**Q4.** Which of the following statements about the relationship of statement coverage and decision coverage is correct? [1]

- a. 100% statement coverage means 100% decision coverage.
- b. 100% decision coverage means 100% statement coverage.
- c. 90% statement coverage means 90% decision coverage.
- d. 90% decision coverage means 90% statement coverage.

**Q5.** Find if the following statements in the context of software testing are TRUE or FALSE. [1]

(S1) Statement coverage cannot guarantee execution of loops in a program under test.

(S2) Use of independent path testing criterion guarantees execution of each loop in a program under test more than once.

- a. True, False
- b. False, True
- c. True, True
- d. False, False

**Q6.** For the graph below (N is the set of nodes, N0 is initial node, Nf is the accepting node, E represents the edges):

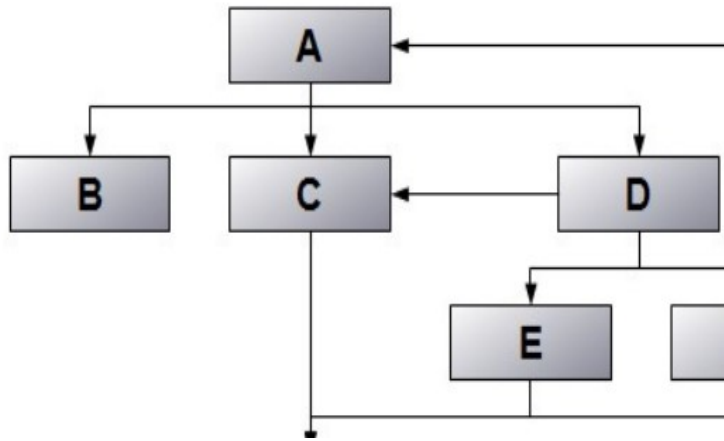
•  $N = \{1, 2, 3\}$  •  $N_0 = \{1\}$  •  $N_f = \{3\}$  •  $E = \{(1, 2), (1, 3), (2, 1), (2, 3), (3, 1)\}$

Also consider the following (candidate) paths: •  $p_1 = [1, 2, 3, 1]$  •  $p_2 = [1, 3, 1, 2, 3]$  •  $p_3 = [1, 2, 3, 1, 2, 1, 3]$  •  $p_4 = [2, 3, 1, 3]$  •  $p_5 = [1, 2, 3, 2, 3]$

Draw the graph. Which of the listed paths are test paths? [3]

**Q7.** For the following CFG, obtain the following: Write down which paths the required tests should cover to achieve 100 % Statement Coverage. Write down, which paths the required tests

should cover to achieve 100 % Decision Coverage. Calculate the cyclomatic complexity



[3]

**Q8.** Comment with Yes/ No for the following statements. Provide a justification to each one of them with a sample code and justification. [4]

- a. Does 100% all-use coverage gives 100% multiple-condition coverage?
- b. Does 100% p-use coverage gives 100% decision coverage?

**Q9.** Suppose that coverage criterion C1 subsumes coverage criterion C2. Further suppose that test set T1 satisfies C1 on program P and test set T2 satisfies C2, also on P. Does T1 necessarily satisfy C2? Explain. Does T2 necessarily satisfy C1? Explain. [4]

**Q10.** Consider a path 's' through some program 'P'. Variable 'v' is defined along this path 's' at some node  $N_d$  and used subsequently at some node  $N_u$  in an assignment i.e. there is a c-use of variable 'v' along the path 's'. [Note: In the following two questions Q11 (a) and Q11 (b), simply writing True/False or Yes/No will fetch zero mark. You have to give a proper example to justify your choice.]

- i. Suppose now that path 's' is infeasible. Does this imply that c-use of 'v' at node  $N_u$  is also infeasible. Explain your answer with the help of a suitable example. [2]
- ii. Suppose now that there is a p-use of variable 'v' at some node  $N_p$  along the same path 's'. Given that path 's' is infeasible, Is this p-use of the variable 'v' also infeasible. Explain your answer with the help of a suitable example. [2]
- iii. Consider a program 'P' and its first-order mutant 'M' as shown in the following table. Actually as per the requirements, the program 'P' has an error at line 3 and the generated first order mutant 'M' is the actual correct version. Construct a test case  $T_1$  that causes P to fail and establishes the relation  $P(T_1) \neq M(T_1)$ . Can you construct a test case  $T_2$  on which P is successful but  $P(T_2) \neq M(T_2)$ . [5]

Program P	Mutant M
1. input x, y 2. if x < y Then 3. z = x * ( y + x ); 4. else 5. z = x * ( y -1);	1. input x, y 2. if x < y Then 3. z = x * ( y + 1 ); 4. else 5. z = x * ( y -1);

**Q11.** Identify the test suites between T1, T2, T3 and T4 that ensures statement coverage for the following program[2]

Begin

If (x==y) {P1; exit;}

else if {u==v} {P2;}

else {P3; exit;}

P4;

End

T1: x=y and x!= v

T2: x!=y and u=v

T3: x,y,u and v are all distinct

T4: x,y,u and v are all equal